

T-Test

The Independent Sample T-Test compares the mean scores of two groups on a given variable. In this example, we compare “frequency of sex” for males versus females.

Null Hypothesis: The means of the two groups (males and females) are not significantly different.
 Alternate Hypothesis: The means of the two groups (males and females) are significantly different.

```
. oneway sexfreq sex
```

Source	SS	df	MS	F	Prob > F
Between groups	134.322319	1	134.322319	33.64	0.0000
Within groups	8579.95197	2149	3.99253233		
Total	8714.27429	2150	4.05315083		

```
Bartlett's test for equal variances: chi2(1) = 6.3875 Prob>chi2 = 0.011
```

Bartlett’s test tests the hypothesis that our samples have equal variances. If the Chi-Square test is significant ($p < .05$), then we can reject the null hypothesis and assume that variances are unequal. In this case, Chi-Square is significant and we can reject the null hypothesis and assume that variances are unequal.

ANNOTATED OUTPUT--STATA

```
. ttest sexfreq , by(sex)
```

Two-sample t test with equal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
male	976	3.099385	.0612103	1.912271	2.979266	3.219504
female	1175	2.597447	.0602927	2.06673	2.479153	2.71574
combined	2151	2.825198	.0434086	2.013244	2.74007	2.910325
diff		.5019384	.0865368		.3322339	.6716429

Degrees of freedom: 2149

Ho: mean(male) - mean(female) = diff = 0

Ha: diff < 0
t = 5.8003
P < t = 1.0000

Ha: diff != 0
t = 5.8003
P > |t| = 0.0000

Ha: diff > 0
t = 5.8003
P > t = 0.0000

We can see here that males report higher frequencies of sex than females. However, we cannot tell from here whether or not this difference is significant.

Our "t" value is 5.842. There is a significant difference between the two groups. We can conclude, then, that males and females significantly differ in their reports of sexual frequency: males reported higher levels of sexual frequency than did females. The circled value indicates the difference in means (male score minus female score).